

Fig. 3—Measured variations of geometry parameters for test specimens: A—Weld contact angle  $\beta$ , B—Root radius at the weld toe  $r$ ; C—Depth of undercut  $d$ .

Table 4—Fatigue Test Results for 18G2A Specimens

Material	Ratio $l/t$	Nominal Stress Range $\Delta S$ (MPa)	Total Fatigue Life $N_{f1}$ (cycles)
18G2A	1.5	223	135 000 180 000
		200	159 600
		175	363 700
		171	236 100
		168	324 900 346 300 371 500
		140	524 100 821 300 861 600
		119	1 159 900 1 291 100
			Unbroken

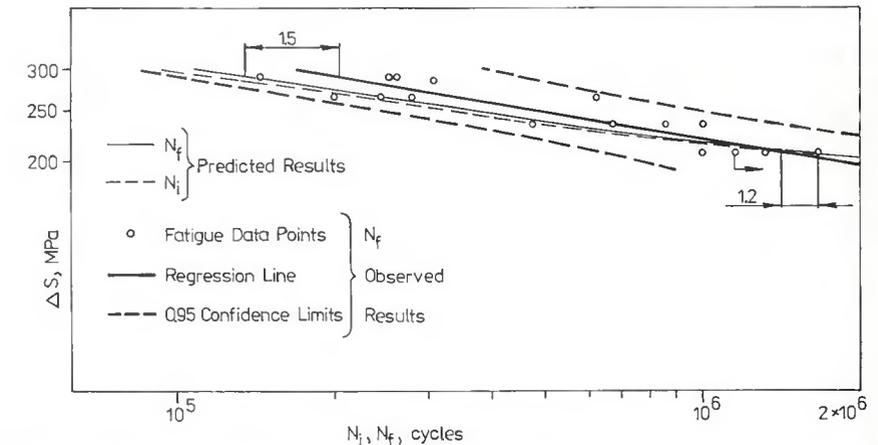


Fig. 4—Observed and predicted with two-stage approach fatigue lives for  $St35\ l/t = 1.5$  welded specimens.

more favorable weld toe geometry (lack of undercuts) in the former. The present fatigue data fall within the reported scatter bands obtained with similar specimens (Ref. 1).

Microscopic examination of the cracked specimens revealed that fatigue cracks initiated and propagated within the heat-affected zone (HAZ). Fatigue crack paths were approximately straight lines sloped to the direction transverse to the main plate at an angle  $\phi \approx 15$  deg for  $l/t = 1.5$  and  $\phi \approx 8$  deg for  $l/t = 1$  (Fig. 2). An observation of the fracture surfaces indicated that the specimens failed when the crack depth reached on an average about 0.35 $t$ .

## Fatigue Life Calculations

### Geometrical Variability

Based on the geometry measurements (Fig. 3), the variations in the angle  $\beta$  are ignored and an average value of  $\beta = 45$  deg is assumed. In order to cope with the variable nature of other geometry parameters at the weld toe, it is assumed, after Lawrence, *et al.* (Ref. 4), that fatigue cracking starts at the location where the fatigue notch factor calculated through Peterson's equation adopts its maximum value.

Peterson's equation reads

$$K_f = 1 + \frac{K_t - 1}{1 + \alpha/r} \quad (4)$$

where  $K_t$  is the elastic stress concentration factor,  $r$  is the notch root radius and  $\alpha$  is a material constant given by  $2.32 \times 10^4 S_u^{-1.8}$  (mm),  $S_u$  being the ultimate strength of material in MPa.

If the analytical  $K_t$  vs.  $r$  relationship is known, Equation 4 can be differentiated with respect to  $r$  to determine the critical notch root radius  $r_c$  for which  $K_f$  obtains a maximum.

For the defectless weld toe geometry, the following  $K_t$  vs.  $r$  relationship was obtained from finite element analysis (Ref. 6):

$$K_t = 1 + C_1(r/t)^{C_2} \quad (5)$$

where the constants  $C_1$  and  $C_2$  depend on the ratio of  $l/t$ .

The  $K_f$  function given by Equation 4 combined with Equation 5 passes through a maximum for

$$r_c = \frac{C_2 + 1}{C_2} - a \quad (6)$$

In the presence of undercut (Fig. 2) the theoretical stress concentration factor at the weld toe was approximated by (Ref. 7)

$$K_{tu} = K_t (1 + 2\sqrt{(d/r')}) \quad (7)$$

where  $K_t$  is given through Equation 5.

Using Equations 4 and 7, the fatigue

Table 5—Empirical Relationships between Mechanical Properties and Hardness DPH of Steel

Property	Function of DPH	Sources
Ultimate tensile strength, $S_u$ (MPa)	3.45 DPH	Ref. 8
Yield strength 0.2%, $S_y$ (MPa)	2.68	Ref. 9
Fatigue strength coefficient, $\sigma_f'$ (MPa)	DPH - 138	Ref. 9
Fatigue strength exponent, $b$	3.3 DPH + 370	Ref. 9
	$-\frac{1}{6} \log(2.1 +$	
	$266/DPH)$	
Cyclic yield strength, $\sigma_y'$ (MPa)	2.1 DPH	Ref. 8
Transition fatigue life, $2N_{tr}$ (reversals)	$5.7 \times 10^5 \exp$	Ref. 9
	$(-0.017$	
	$DPH)$	

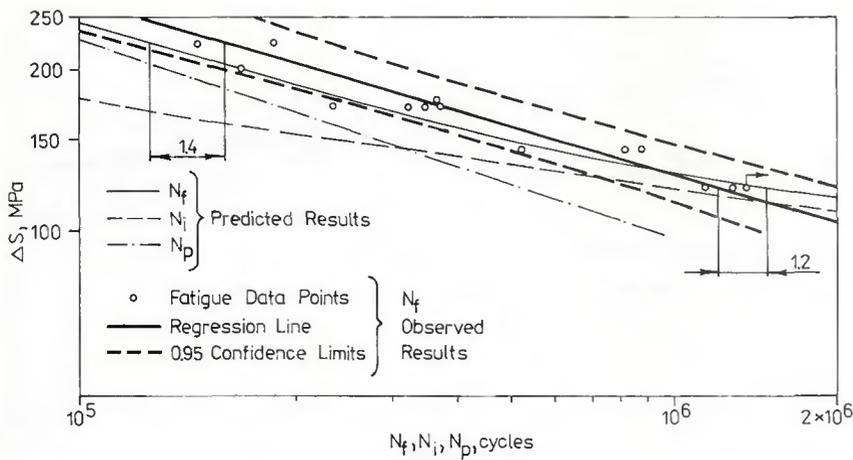


Fig. 5—Observed and predicted with two-stage approach fatigue lives for 18G2A welded specimens.

notch factor for a weld with undercut was obtained as

$$K_f = 1 + \frac{K_t (1 + \sqrt{(d/r')}) - 1}{1 + a/r'} \quad (8)$$

From Equation 8, the  $K_{fmax}$  condition for a weld with undercut exists if

$$r' = \left[ \frac{\sqrt{(a^2(K_t - 1)^2 + 4K_t^2)} - a}{2K_t a \sqrt{d}} \right]^{-2} \quad (9)$$

Based on the inspection of the weld toe regions described earlier, the St3S specimens were assumed to be defectless while for the 18G2A specimens the presence of undercuts was allowed for. According to the  $K_{fmax}$  concept, Equations 6 and 9 define the values of the notch root radius adopted in the crack initiation and crack propagation analyses for the St3S and 18G2A specimens, respectively. As the fatigue notch factor according to Equation 8 is a monotonic function of  $r$  and  $d$ , the minimum measured  $r$  value equal to 0.5 mm and the maximum measured  $d$  value equal to 0.1 mm were assumed for the 18G2A specimens.

### Estimating HAZ Material Properties through Hardness Measurements

The properties of the HAZ material that are involved in the fatigue process of the test specimens may be different from those of the base metal. As HAZ material is difficult and expensive to test, all the required material parameters were either estimated from hardness measurements at the weld toe using empirical relationships given in Table 5 or assumed.

The fatigue ductility exponent  $c = -0.6$  was assumed. The relationships of  $S_y$  and  $\sigma_y'$  with hardness depend on the type of steel. As discussed in Ref. 7, those assumed in Table 5 correlate best with reported test results for various HAZ materials in steels (Refs. 4, 9).

Other material properties of the HAZ were calculated through the following relationships that are known in the low-cycle-fatigue theory:

$$\text{cyclic strain hardening exponent} \quad n' = b/c \quad (10)$$

$$\text{cyclic strength coefficient} \quad K' = \sigma_y' / (0.002)^{n'} \quad (11)$$

$$\text{fatigue ductility coefficient as the mean of} \quad \epsilon_f' = (\sigma_f' / K')^{1/n'} \quad (12)$$

$$\text{and} \quad \epsilon_f' = \sigma_f' (2N_{tr})^{b-c} / E \quad (13)$$

Table 6 lists the material properties calculated from the relationships given in Table 5 and from Equations 10 to 13. The values of  $r_c$ ,  $r_c'$  and  $K_{fmax}$  in Table 6 result from Equations 4 to 9.

### Initial and Final Crack Size

Where the I-P model (Equation 2) is employed, the initial crack size  $a_i$  must be defined in order to bridge between the initiation and propagation analyses. A common practice is to assume the  $a_i$  value arbitrarily (usually 0.25 mm), although non-arbitrary definitions of  $a_i$  were also proposed (Refs. 10, 11). For the considered geometry and material it was shown in Ref. 7 that the value of 0.25 mm lies between those calculated according to Refs. 10 and 11. Therefore,  $a_i = 0.25$  mm was adopted in this study. Based on the examination of fracture surfaces, the final crack size  $a_f = 3.5$  mm was assumed.

### Residual Stresses

The way of fabrication of both St3S and 18G2A specimens precluded occurrence of high residual stresses. With the narrow 18G2A specimens, making a weld produced a more or less even temperature across the plates and consequently could only create low residual stresses. Although relatively high residual stresses were likely

to occur in the St3S welds before cutting up the plates, they were relieved by the slicing operation (Ref. 1). Therefore, residual stresses were ignored in the present analysis.

Residual stresses when present can be allowed for in the crack initiation analysis as a static prestress (Refs. 12 and 13).

### Crack Initiation Analysis

The crack initiation lives ( $N_i$ ) were estimated with the local strain approach (Ref. 14). The mathematical procedure to calculate the local stress and strain amplitudes ( $\sigma_\alpha$  and  $\epsilon_\alpha$ , respectively) and the local mean stress ( $\sigma_o$ ) is illustrated in Fig. 6 where  $R$  is the stress ratio,  $S$  and  $e$  denote the nominal stress and strain, respectively, and the subscripts "1" and "a" to stress or strain correspond to the value at the end of the first loading reversal and to the amplitude, respectively. Since the material properties involved in the monotonic stress-strain curve equation cannot be related to hardness, cyclic softening of HAZ material was ignored.

The  $N_i$  values were calculated through the equation from Morrow (Ref. 15)

$$\sigma_\alpha = (\sigma_f' - \sigma_o)(2N_i)^b \quad (14)$$

in which only the material properties that can be directly related to hardness are utilized.

To allow for the effect of cyclic relaxation of the local mean stress on  $N_i$  the constant  $\sigma_o$  value in Equation 14 was replaced by (Ref. 16)

$$\sigma_{o,2N} = \sigma_o (2N)^k \quad (15)$$

where  $\sigma_{o,2N}$  is the current value of mean stress at any reversal  $2N$  and  $k$  denotes the relaxation exponent.

From Ref. 12,  $k$  was expressed through the following empirical relationship valid for metals:

$$k = -3.1912.5 \epsilon_{p\alpha} / (E \epsilon_{tr}) \quad (16)$$

where  $\epsilon_{p\alpha}$  is the plastic strain amplitude,  $\epsilon_{tr}$ : the transition strain (half strain amplitude corresponding to the transition fatigue life  $2N_{tr}$ ), and  $E$ : the Young modulus in MPa.

The operational details and the programming flow diagrams of the procedure used to compute  $N_i$  can be found elsewhere (Ref. 7).

### Crack Propagation Analysis

Since the material constants associated with fatigue crack propagation rate cannot be estimated from hardness, only the concepts where crack growth rate is described in terms of low-cycle-fatigue material properties were used in the crack propagation analysis, namely the LFM model from Majumdar and Morrow (Ref. 17) and the EPFM approach of Usami (Ref. 18). Both above mentioned concepts were shown in Ref. 7 to provide for a welded joint in mild steel the  $N_p$  values, which correlated well with those obtained using the Paris equation.

According to the model of Majumdar and Morrow (Ref. 17) the material ahead of the crack tip within the reversed plastic zone is composed of the uniaxial "fatigue elements" of a width of  $2\rho^*$  where  $\rho^*$  is a "microstructure size." Assuming that fatigue crack extension occurs due to the successive fatigue failure of each element Majumdar and Morrow deduce the following expression for fatigue crack growth rate:

$$\frac{da}{dN} = - \frac{2(b+c)}{b+c+1} \left[ \frac{\sigma_y'}{4(1+n')\sigma_f'\epsilon_f'} \right]^{-\frac{1}{b+c}} \left\{ \left( 1 + \frac{\rho^* \pi \sigma_y'^2}{\epsilon_y' \Delta K^2} \right)^{\frac{b+c+1}{b+c}} + \left[ 4(1+n')\epsilon_y' \right]^{-\frac{b+c+1}{b+c}} \frac{\epsilon_y' \Delta K^2}{\pi \sigma_y'^2} \right\} \quad (17)$$

where  $\Delta K$  is the stress intensity factor range,  $\epsilon_y'$  is the cyclic yield strain, and the meaning of the other symbols is explained in Table 6.

The validity of Equation 17 is limited by the condition

$$R_p \gg 2\rho^* \quad (18)$$

where  $R_p$  is the reversed plastic zone size.

The physical interpretation of  $\rho^*$  given by Majumdar and Morrow (Ref. 17) suggests that it represents the mean distance between the major microstructure deformation barriers. This distance is thought to be closely related to the length of a non-propagating surface crack at the fatigue limit (Ref. 19). According to Usami (Ref. 18), the diameter ( $d_{pc}$ ) of such a crack in a metallic material is a material constant which can be expressed as

$$d_{pc} = 1.633 \times 10^{-7} (S_y/E)^{-2} \text{ (mm)} \quad (19)$$

The above mentioned findings from Refs. 18 and 19 are the rationale for assuming in the present analysis that  $\rho^*$  equals  $d_{pc}$ .

Equation 17 was only utilized to calculate the crack propagation lives for the St3S specimens. The approach of Usami (Ref. 18) was applied to derive the  $N_p$  estimates for the 18G2A specimens since Equation 18 was not satisfied for 18G2A HAZ material even at the highest stress level considered. From experimental tests on various steels, Usami postulates a correlation between the normalized crack growth rate  $(da/dn)/a_e$ ,  $a_e$  being the effective crack length (half length of a central crack in an infinite body) and the effective local strain range given by

$$\Delta\epsilon_{eff} = \Delta\epsilon / (1-R), \quad R \leq 0$$

$$\Delta\epsilon_{eff} = \Delta\epsilon, \quad R > 0 \quad (20)$$

where  $\Delta\epsilon$  and  $R$  are the total local strain range and the local stress ratio, respectively, at a distance of  $a$  from the notch root in the uncracked body.

Usami's experimental data points can be fitted in with the following relationship:

Table 6—Mechanical Properties of St3S HAZ and 18G2A HAZ Material

Property	St3S HAZ	18G2A HAZ
Hardness, DPH	170	153
Ultimate strength, $S_u$ (MPa)	587	528
Yield strength 0.2%, $S_y$ (MPa)	318	272
Young modulus, $E$ (MPa)	200000	200000
Cyclic yield strength, $\alpha_y'$ (MPa)	357	321
Fatigue strength coefficient, $\sigma_f'$ (MPa)	930	875
Fatigue strength exponent, $b$	-0.094	-0.097
Fatigue ductility coefficient, $\epsilon_f'$	0.878	0.937
Fatigue ductility exponent, $c$	-0.6	-0.6
Cyclic hardening exponent, $n'$	0.157	0.162
Cyclic strength coefficient, $K'$ (MPa)	947	878
Transition fatigue life, $2N_{tr}$ (reversals)	31678	42294
Peterson's material constant, $\alpha$ (mm)	0.242	0.292
Critical notch root radius, $r_c$ [ $^\circ$ ] (mm)	0.167 <sup>(a)</sup> 0.157 <sup>(b)</sup>	[0.74]
Maximum fatigue notch factor, $K_{fmax}$	1.995 <sup>(a)</sup> 2.93 <sup>(b)</sup>	3.12

(a)  $l/t = 1.5$   
(b)  $l/t = 1$

$$\begin{aligned} (da/dN)/a_e &= 12.3(\Delta\epsilon_{eff})^2 \\ \Delta\epsilon_{eff} &\leq 9 \times 10^{-4} \\ (da/dN)/a_e &= 64800(\Delta\epsilon_{eff})^{9.22} \\ 9 \times 10^{-4} &< \Delta\epsilon_{eff} < 5 \times 10^{-3} \\ (da/dN)/a_e &= 101(\Delta\epsilon_{eff})^2 \\ \Delta\epsilon_{eff} &\geq 5 \times 10^{-3} \end{aligned} \quad (21)$$

From Ref. 18, Equation 21 proved valid for a number of steels.

In order to calculate the  $N_p$  values Equations 17 and 21 were integrated numerically in 24 steps employing Simpson's

rule. The stress intensity factor solution was derived by finite element method, as described thoroughly in Ref. 6.

### Comparison of Predicted and Observed Results

#### Two-Stage Approach

In Figs. 4 and 5 the total fatigue lives  $N_f$  provided via the two-stage I-P model (Equation 2) are compared with the fa-

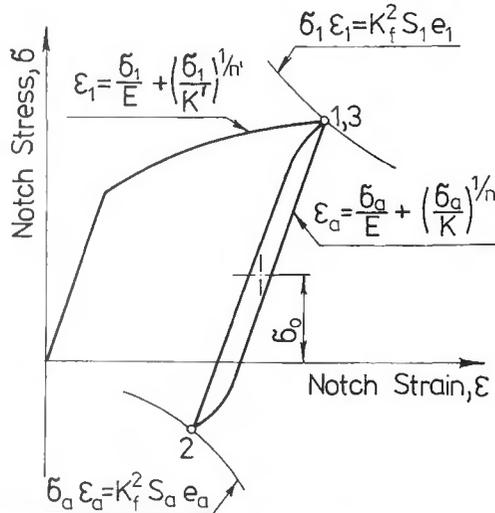
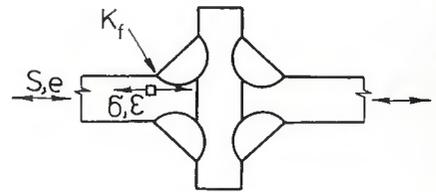
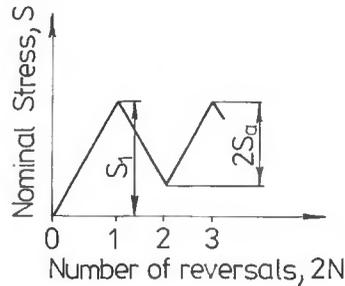


Fig. 6—Schematic of notch stress and strain calculation.

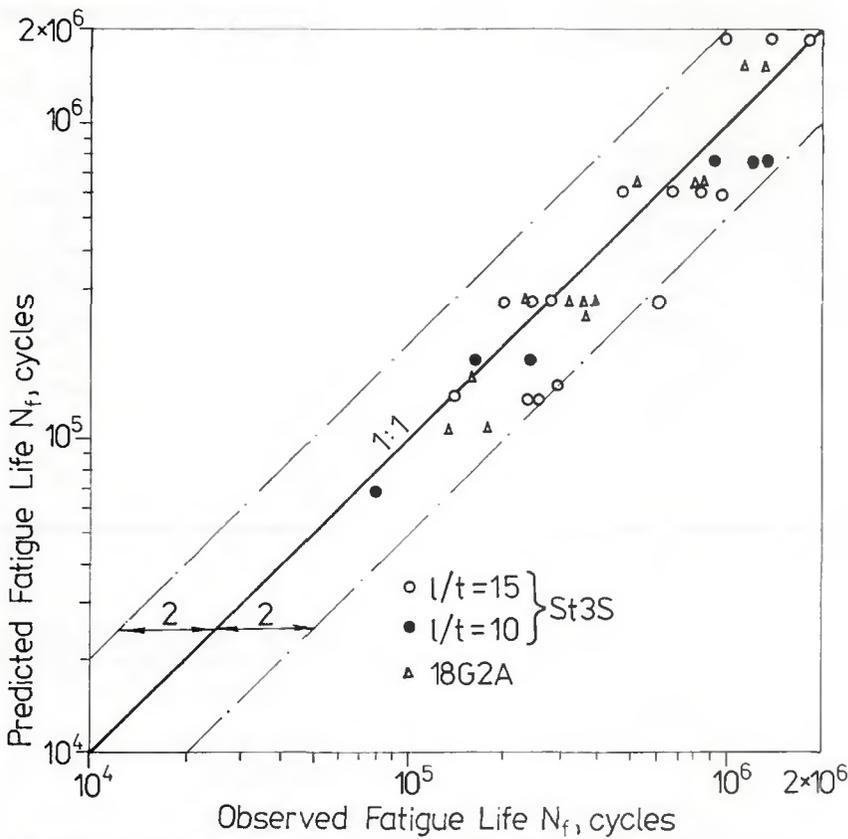


Fig. 7—Comparison between observed and predicted fatigue lives for all test specimens.

tigue test data for the welded specimens. The discrepancies between the predicted  $\Delta S$  vs.  $N_f$  diagrams and the regression lines are depicted by ratios of  $N_f$  values given for the two stress levels that correspond to the highest and the lowest stress range considered in the experimental tests. From Figs. 4 and 5, it is seen that the predicted  $\Delta S$  vs.  $N_f$  curves fall within the scatter bands of the fatigue data. Since the slopes

of the theoretical  $\Delta S$  vs.  $N_f$  diagrams in Figs. 4 and 5 are lower than these of the regression lines, the mean fatigue lives (represented by the regression lines) are underestimated at higher stress levels and slightly overestimated at lower stress levels.

The comparison between the actual and calculated fatigue lives for all the fatigue specimens is given in Fig. 7. Except

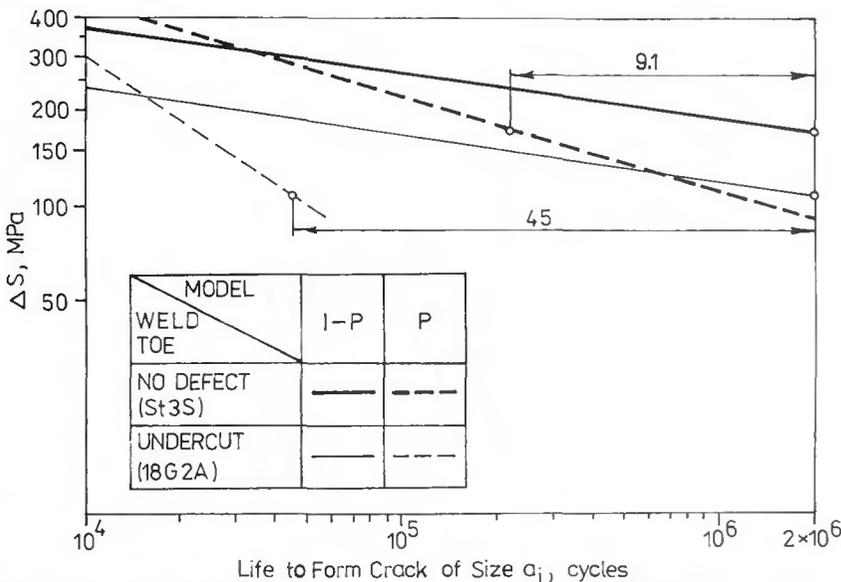


Fig. 9—Comparison of estimates on life to form a crack of size  $a_i$  according to two-stage and one-stage model for sound weld and for weld with undercut.

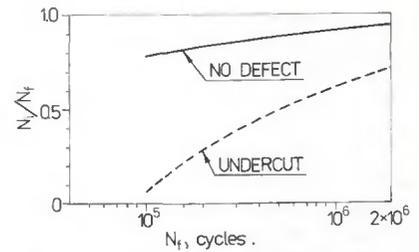


Fig. 8—Predicted percentage of total life devoted to fatigue crack initiation as a function of total life for sound weld and for weld with undercut.

a single data point, the predictions agree with the experimental results within a factor of 2. The predictions are conservative in the sense that the average ratio of the observed-to-calculated life is 1.15. Generally lower discrepancies between the actual and estimated results observed in Fig. 7 for the 18G2A specimens compared to those for the St3S specimens are apparently due to the higher scatter in the fatigue data in the latter case.

In Fig. 8 the predicted percentage of total life spent in crack initiation is plotted as a function of total life. For a sound weld, the figure shows that within the considered life range crack initiation consumes a prevailing fraction of life while in the presence of undercut, crack initiation life dominates only in the long life regime ( $N_f > 5 \times 10^5$  cycles).

#### One-Stage Approach

As discussed previously, the difference between life estimates according to the two-stage and the one-stage (P model) approaches arises from the different ways of predicting the number of cycles to develop a crack of size  $a_i$ .

In Fig. 9 the evaluations of that number of cycles for the considered cruciform weld by using the I-P model and the P model are compared, Usami's concept (Ref. 18, see Equations 20 and 21) being employed in the latter case. It can be seen in Fig. 9 that the P model gives more conservative predictions on the life to form a crack of size  $a_i$  than the I-P model. The discrepancies between that life estimate from both approaches increase with decreasing stress level to reach the value of 9.1 for the sound weld and 45 for the weld with undercut. Considering that the I-P model has been previously shown to yield slightly conservative  $N_f$  estimates (Figs. 4, 5 and 7), from Fig. 9, it is clear that for lives greater than  $10^5$  cycles the P model cannot entirely account for the total fatigue life even for a weld containing undercut.

#### Final Remarks

Although based on the material properties estimated in a rough way, the fatigue lives predicted using the two-stage

approach are in good agreement with the experimental results. Utilizing in fatigue analyses of welds the HAZ material properties estimated via hardness measurements at the weld toe was first proposed by Lawrence, *et al.* (Ref. 4). The subsequent analyses, however, were confined to the predictions of the long life fatigue strength of welds with the use of the one-stage I model (Ref. 20). This study including the crack propagation period estimated according to the concepts in which the fatigue crack growth rate is expressed in terms of the low-cycle-fatigue material properties, enabled life predictions within the range of from  $10^5$  to  $2 \times 10^6$  cycles.

## Conclusions

The two-stage approach, including both the fatigue crack initiation and propagation phases, enables one to estimate total fatigue lives in the life regime of  $10^5$  to  $2 \times 10^6$  cycles, which agree within a factor of 2 with experimental data for cruciform welded specimens failing at the weld toe.

The study supports the applicability of heat-affected zone material properties estimated via hardness measurements towards fatigue life predictions of welds.

The one-stage approach, which neglects the fatigue crack initiation phase, cannot entirely account for the total fatigue life, even for welds containing undercuts.

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## Appendix

a	Crack size
$a_e$	Equivalent crack size
$a_f$	Final crack size
$a_i$	Initial crack size
$\alpha$	Peterson's material constant
b	Fatigue strength exponent

c	Fatigue ductility exponent
d	Depth of undercut
$d_{pc}$	Diameter of nonpropagating surface crack
e	Nominal strain
E	Modulus of elasticity
k	Relaxation exponent
$K_I$	Stress intensity factor
$K_f (K_{fmax})$	Fatigue notch factor (maximum value)
$K_I (K_{Iu})$	Stress concentration factor (at the bottom of undercut)
$K'$	Cyclic strength coefficient
l	Weld leg length
$n'$	Cyclic hardening exponent
N	Number of cycles
$N_f$	Total fatigue life
$N_i$	Crack initiation life
$N_p$	Crack propagation life
$N_{tr}$	Transition fatigue life
r ( $r_c$ )	Weld toe radius (critical value)
$r' (r'_c)$	Root radius at the bottom of undercut (critical value)
R	Stress ratio
$R_p$	Reversed plastic zone size
S	Nominal stress
$S_u$	Ultimate tensile strength
$S_y$	Yield strength 0.2%
$\alpha$	Angular distortion
$\beta$	Weld contact angle
$\epsilon$	Notch strain
$\epsilon_p$	Cyclic plastic notch strain
$\epsilon_{tr}$	Transition strain
$\epsilon_f'$	Fatigue ductility coefficient
$\epsilon_y'$	Cyclic yield strain
$\rho^*$	Microstructure size from Majumdar and Morrow equation
$\sigma$	Notch stress
$\sigma_o$	Notch mean stress
$\sigma_f'$	Fatigue strength coefficient
$\sigma_y'$	Cyclic yield strength
$\phi$	Slope of crack path
Subscripts	
$\alpha$	Amplitude
1	The first reversal
$\Delta$	Range
Abbreviations	
EPFM	Elastic-plastic fracture mechanics
HAZ	Heat-affected zone
LEFM	Linear-elastic fracture mechanics

## **Nitrogen in Arc Welding — A Review**

**WRC Bulletin 369  
December 1991**

**By IIW Commission II**

In 1983, Commission II of the International Institute of Welding (IIW) initiated an effort to review and examine the role of nitrogen in steel weld metals. The objective was to compile in one source, for future reference, the available information on how nitrogen enters weld metals produced by various arc welding processes, what forms it takes in these welds, and how it affects weld metal properties.

This bulletin contains 13 reports and several hundred references related to Nitrogen in Weld Metals that has been prepared as a review to show the importance nitrogen has in determining weld metal properties.

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## **Research on Modern High-Strength Low-Alloy Steel Welding**

**WRC Bulletin 373  
June 1992**

### **(1) Influences of Steel Composition and Welding Procedure on the HAZ Toughness of Thick-Section Structural Steels**

**By P.L. Harrison and P. H. M. Hart**

### **(2) Heat-Affected Zone Properties of Thick-Section Microalloyed Steels — A Perspective**

**By F. Heisterkamp, K. Hulka and A. D. Batte**

### **(3) Experience in Fabricating New Types of Offshore Plate and Linepipe**

**By P. Tuvnes and I. Harneshaug**

### **(4) Influence of Local Brittle Zone on HAZ Toughness of TMCP Steels**

**By S. Aihara and K. Okamoto**

The four papers contained in this Bulletin were presented at the Conference on "Metallurgy, Welding and Qualification of Microalloyed (HSLA) Steel Weldments," held at Houston, Tex., November 6-8, 1990. The American Welding Society holds the copyrights and is the source of these papers. Publication of this document was sponsored by the Welding Research Council, Inc. The price of WRC Bulletin 373 is \$40.00 per copy, plus \$5.00 for U.S. and \$10.00 for overseas, postage and handling. Orders should be sent with payment to the Welding Research Council, Room 1301, 345 E. 47th St., New York, NY 10017.