

Fig. 1 — Typical voltage and current traces as recorded during the experiment: A — $\beta = 0.3, \theta = 0.5, (Q_-)/(Q_+) = 0.19$, B — $\beta = 0.5, \theta = 0.7, (Q_-)/(Q_+) = 0.59$.

minum oxide can be obtained along with optimum heating of the workpiece metal. In this study, calorimetric measurements were used to determine what effect polarity balance has on the heat input to the workpiece. By varying the polarity balance in a systematic way, and by measuring the arc power, the importance of process parameters on cathodic cleaning were investigated. It is hoped that quantifying the effects of variable polarity will lead to better models of the process and improved process understanding and control.

Experimental Procedure

Variable polarity plasma arc welds were made on 1.27 x 25 x 114 mm machined test specimens of 1100 aluminum. Two such pieces were joined in a standing edge weld geometry. The specimens were acid cleaned by a process described in Table 1. Four identically prepared specimens of 304L stainless steel also were welded in the experiment to test for dependence of arc efficiency on base material.

The welding power supply was built¹ for automated variable polarity plasma arc welding (VPPAW) and permits the independent selection of current amplitude (up to 200 A) and duration for both positive and negative polarity. The power supply achieves stable reignition during the positive half cycle by means of a 400-V open circuit potential. Both the arc current and voltage were recorded on a high-speed digital oscilloscope, which enabled the determination of the actual arc power during both the positive and negative cycles. Because of the high open circuit voltage, a special instrumentation unit was fabricated to permit fast response, yet isolated, oscilloscope measurements of the complete arc cur-

rent and voltage waveform. Typical current and voltage traces are shown in Fig. 1A, B. The initial current spike at the beginning of each pulse is a feature of the power supply that was set to the minimum value. An arc power trace was obtained for each weld by multiplying the current and voltage waveforms together. Integration of the resulting power trace yielded a measure of total arc energy.

The net heat input to the workpiece was measured using a Seebeck envelope calorimeter in the manner described in Ref. 10. A CNC X-Y table translated the calorimeter and weld specimen under the welding torch. The calorimeter was left open during welding and closed immediately after welding was completed. The calorimeter walls were maintained at room temperature with a constant temperature bath. The calorimeter operates on the gradient layer principle and produces a voltage output that is proportional to the flux through the walls during the time required for the weld samples and fixture to cool to room temperature. The energy losses with this experimental technique due to radiation, convection, and evaporation have been estimated to be 1% or less of the arc energy. The calorimeter was calibrated for this study using the transient method described in Ref. 11.

In order to examine the effect of polarity balance on oxide removal, an experimental strategy was sought, that would vary arc polarity but also produce welds of similar size. For pulsed direct current gas tungsten arc welding (GTAW), root mean square (RMS) current has been shown (Ref. 10) to be a better indicator of weld heat input than average current, which is calculated as follows:

$$\text{Average Current} = \frac{|(-)I_{(-)} + I_{(+)}|}{t_{(-)} + t_{(+)}} \quad (2)$$

Table 1 — Aluminum Cleaning Procedure*

Step 1	Scrub each part with Alconox (alkaline detergent) and water. Rinse in deionized (DI) water. Hang to air dry.
Step 2	Immerse in alkaline non-etch (3.25 L DI, 209 mL Na ₂ SiO ₃ , 156 g Na ₂ CO ₃ for 5 min. Rinse in DI water. Hang to air dry.
Step 3	Immerse in acid DeOx (3.5 L DI, 251 mL HNO ₃ , 105 g NaBrO ₃) for 5 min. Rinse in DI water. Hang to air dry. Let parts stand 72 hours before welding.

*This procedure cleans and stabilizes the oxide on the surface of the weld sample.

Root mean square current is known to weight peak current amplitude to a greater degree and thereby compensates for the increased voltage and power that occurs during pulsing. In AC welding, high voltages are known to occur during the rapid arc current reversal. To help offset the greater arc powers that result from the higher voltages, a matrix of weld conditions that kept the RMS current constant was developed for this experiment. This approach enabled a large range of variations in polarity balance to be achieved while still achieving practical welds. Root mean square current is calculated from the following equation:

$$\text{RMS Current} = \sqrt{\frac{I_{(-)}^2 t_{(-)} + I_{(+)}^2 t_{(+)}}{t_{(-)} + t_{(+)}}} \quad (3)$$

where $I_{(-)}$ is the current amplitude during the electrode negative portion of the cycle, $t_{(-)}$ is the time duration for elec-

1. MacGregor Welding Systems, Mildenhall, Suffolk, England.

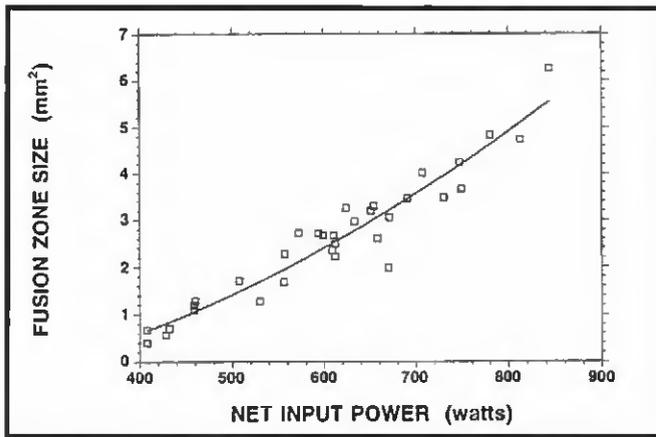


Fig. 9 — Fusion zone size variation as a function of calorimetrically determined absorbed power.

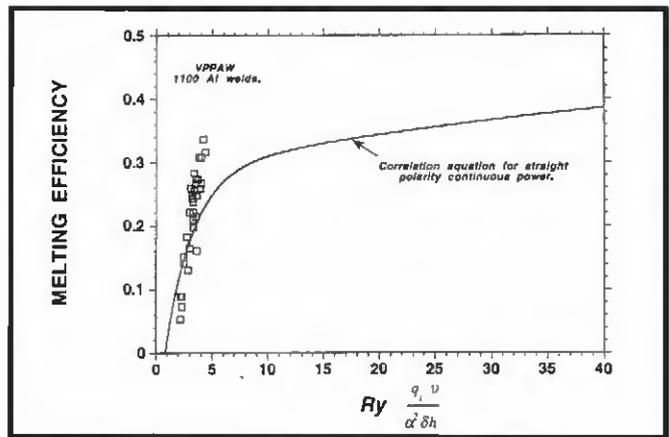


Fig. 10 — Comparison of VPPAW Al melting efficiencies with equation for continuous power PA and GTA welds on Ni 200 and 304 stainless steel.

Table 3 — Plasma Torch Setup

PAW torch	Thermal Dynamics PWM-3A
Orifice nozzle	2.0 mm dia.
Orifice gas	Argon @ 0.50 lpm
Shielding gas	Helium @ 9 lpm
Tungsten electrode	3.2 mm dia. 1.5% La ₂ O ₃
Pilot current	10 A continuous
Nozzle stand-off distance	1.3 mm

electrode and the orifice gas can be estimated using Newton's law of cooling:

$$q_{conv} = hA(T_s - T_{\infty}) \quad (6)$$

where q_{conv} is the power transferred to orifice gas, h is the film coefficient, A is the surface area of the tungsten, and T_s is the temperature of the tungsten surface and T_{∞} is the free stream gas temperature. Postweld examination of the tip of the tungsten electrode revealed that the tip had melted and become almost spherical during the variable polarity arc. To calculate the film coefficient, we will use a dimensionless parameter correlation (Ref. 20) for flow over a sphere:

$$Nu = 2 + 0.6 Re^{0.5} Pr^{0.33} = \frac{hD}{k} \quad (7)$$

Where Nu = Nusselt number; Pr = Prandtl number of the orifice gas; $Re = Vd/v$ = Reynolds number of the orifice gas; V = gas flow velocity at the anode; D = diameter of the spherical tip; k = thermal conductivity of the orifice gas; v = kinematic viscosity of the orifice gas.

Due to the constricting orifice, the gas

velocities surrounding the tungsten electrode can be substantial in a plasma arc torch. Using room temperature values for the properties of the orifice gas, and $V = 26.3$ m/s, Re was estimated to be 17900, $Nu = 73.4$, and $h = 406$ W/m²K. If we assume worst case, that the tungsten tip is at its melting point 3410°C and the orifice gas is 20°C, substituting into Equation 6 yields $q_{conv} = 44$ W. While a significant temperature difference may exist for convective cooling, the relatively low value of power transferred to the orifice gas can be simply explained by the small surface area of the anode. With the VPPAW process, convective losses from the tungsten do not appear sufficient to retransfer substantial energy from the anode back to the cathode, unlike the experiment of Shoock and Eckert.

The second type of possible loss from the tungsten back to the workpiece is radiative transfer. An upper estimate for the radiative losses q_{rad} from the tungsten electrode tip can be made assuming that the tungsten electrode tip is convex and completely enclosed by the copper orifice, which is concave. From the Stefan-Boltzman law:

$$q_{rad} = \sigma A_e \epsilon_e (T_e^4 - T_n^4) \quad (8)$$

where σ is the Stefan-Boltzman constant, A_e is the electrode surface area, $\epsilon_e = 0.39$ is the emissivity of the tungsten, T_e is the melting point of tungsten, and T_n is the temperature of the copper orifice. A conservative estimate for radiative loss based on a room temperature value for T_n is $q_{rad} = 96$ W. This value is probably conservatively high since with the small field of view, most of the radiative losses from the tungsten will not reach the workpiece and will likely be absorbed by the cop-

per orifice. When compared with the arc powers given in Fig. 2, it seems unlikely that significant amounts of energy can be radiatively transferred from the tungsten anode to the workpiece.

The magnitude of convective and radiative losses from the tungsten back to the workpiece are insufficient to reasonably explain the high arc efficiencies obtained during electrode positive polarity. Since we know that in electrode positive polarity a large fraction of arc energy is deposited at the cathode workpiece, and that substantial losses from the anode back to the workpiece are improbable, we must conclude that the energy never reaches the tungsten anode.

Significance of the Cathode Material

To reconcile substantial workpiece heating during electrode positive polarity, it is instructive to consider an electrode negative polarity GTAW or VPPAW torch where we know that most of the arc energy is typically transferred to the workpiece. There are three regions in an electric arc where a substantial voltage drop occurs and thereby energy is exchanged. In the main arc column, a relatively small electric field intensity exists where small amounts of power are dissipated as radiative and convective losses from the hot plasma to the surroundings. The energy exchanged here depends primarily on the length of the column and is considered to be minor for welding arcs. It is in two narrow regions close to the electrodes where the field intensity increases substantially, the anode fall, and the cathode fall, that significant electrical energy is transferred. The thermal gradients in these two regions are quite steep since the electrodes are at lower temperatures than the plasma column.

2. Melting efficiency is defined as the ratio of the heat necessary to just melt the fusion zone to the heat absorbed by the workpiece. It is a dimensionless parameter.

